
Università degli Studi di Milano
Master Degree in Computer Science

Information Management course

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Lecture 07: 06/11/2012

L. C. Molina, L. Belanche, A. Nebot
“Feature Selection Algorithms: A Survey and
Experimental Evaluation”, IEEE ICDM (2002)

and

L. Belanche, F. Gonzales “Review and
Evaluation of Feature Selection Algorithms in
Synthetic Problems”, arXiv – available online
(2011)


Feature Selection Algorithms

- Introduction 
- Relevance of a feature
- Algorithms
- Description of fundamental FSAs
- Empirical evaluation
- Experimental evaluation

Introduction

- The Feature selection problem:
 - Given a set of candidate features, select a subset defined by one of the following approaches:
 - Having a fixed size and maximizing an evaluation measure;
 - Of smaller size that satisfies a constraint on an evaluation measure
 - Best tradeoff between size and evaluation measure
- FSA are motivated by a definition of *relevance* (not obvious)
- FSAs can be classified according to their output
 - 1) Giving a weighted linear order of features
 - 2) Giving a subset of original features (the one we focus on)
 - N.B. (2) is (1) with binary weighting

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Relevance with respect to an objective

- Relevance must be defined with respect to an objective: assuming the objective is classification and the set of features is X :
 - A feature $x \in X$ is relevant to an objective $c()$ if there exist two examples A and B that
 - differ only in the value of x
 - $c(A) \neq c(B)$
 - i.e. there are two elements that can be classified correctly only thanks to x
- However, our datasets are samples in the feature space:
 - A feature $x \in X$ is strongly relevant to the sample S to an objective $c()$ if there exist two elements A and B of S that
 - differ only in the value of x
 - $c(A) \neq c(B)$
 - A feature x is weakly relevant if there exists a $X' \subset X$ with $x \in X'$, where x is strongly relevant with respect to S

Relevance as a complexity measure

- Idea: given a data sample S and an objective $c()$, define $r(S,c)$ as the smallest number of relevant features to $c()$ such that the error in S is the least possible for the inducer
- i.e. the smallest number of features required by a specific inducer to reach optimum performance in modeling $c()$ using S
- Examples of such complexity measures:
 - Incremental usefulness:
after choosing X' , x is useful if the accuracy of $c()$ computation is higher on $x \cup X'$ than on X'
 - Entropic relevance:
compute the amount of (Shannon) entropy in the dataset before and after the removal of a feature